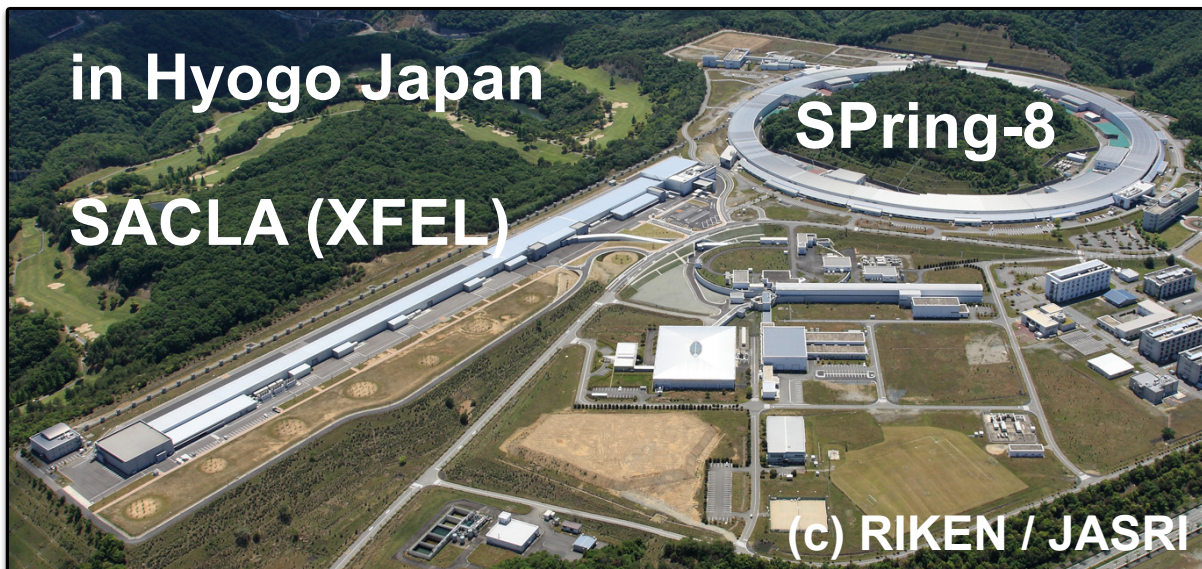


Lattice Design of a Very Low-emittance Storage Ring for SPring-8 II

Y. Shimosaki, K. Soutome, J. Schimizu, K. Kaneki,
M. Takao, T. Nakamura and H. Ohkuma

JASRI / SPring-8



**3rd Generation
Synchrotron Radiation
Facility (1450 m)**

Agenda

1. Introduction of SPring-8 II

- 1.1 SPring-8 v.s. SPring-8 II**
- 1.2 Lattice Structure**
- 1.3 Injection Scheme**

2. Strategy of Lattice Design for Dynamic Aperture Correction

- 2.1 Strategy for Lattice Design**
- 2.2 Example of Dynamic Aperture Enlargement**

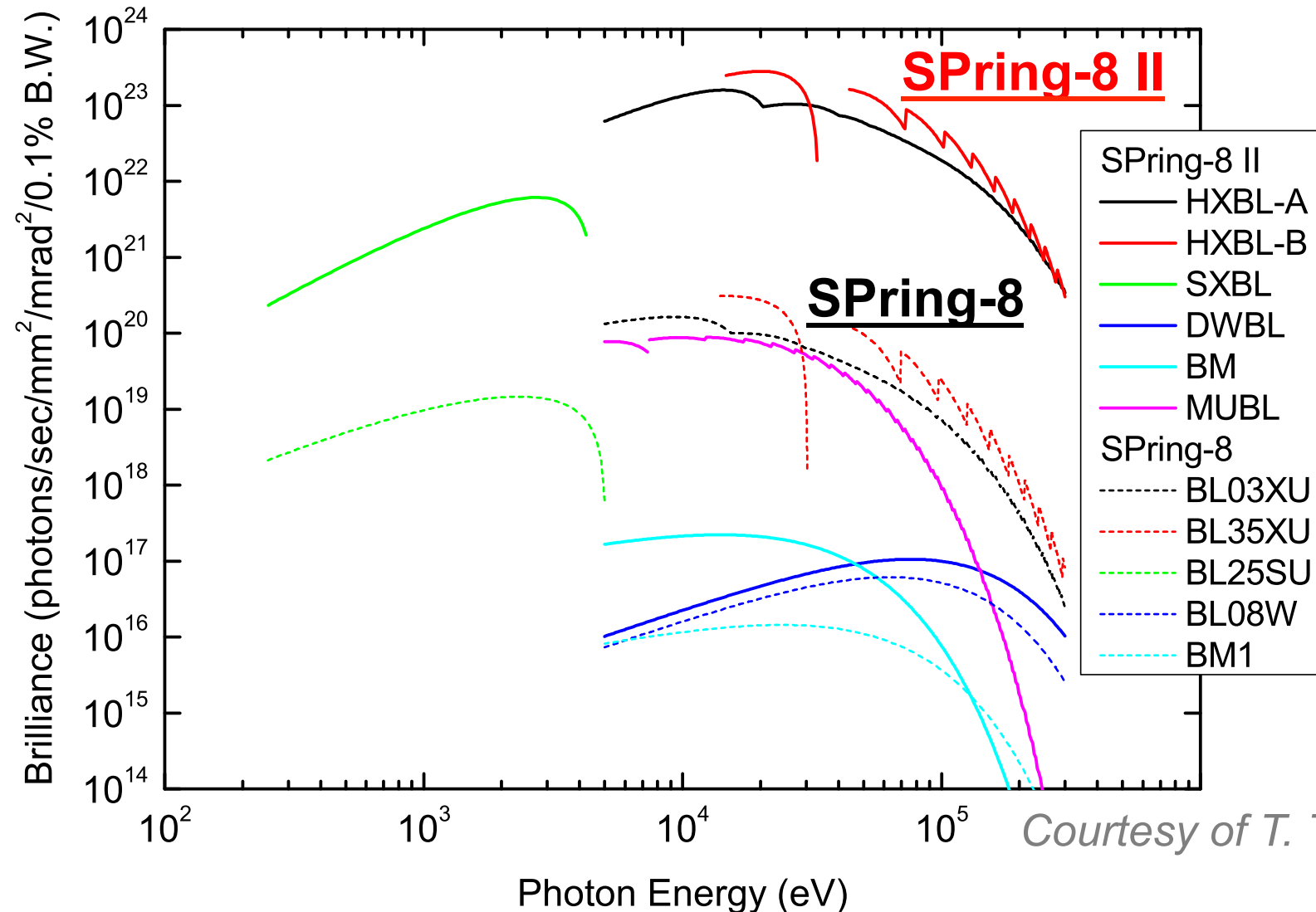
3. Latest Results of Lattice Design

- 3.1 Dynamic Aperture and Momentum Aperture
without / with Sx-Alignment Error**

4. Summary

SPring-8 v.s. SPring-8 II

Ultimate Goal of SPring-8 II: To provide 10^3 times higher brilliance than that of SPring-8 (0.5 ~ 100 keV).

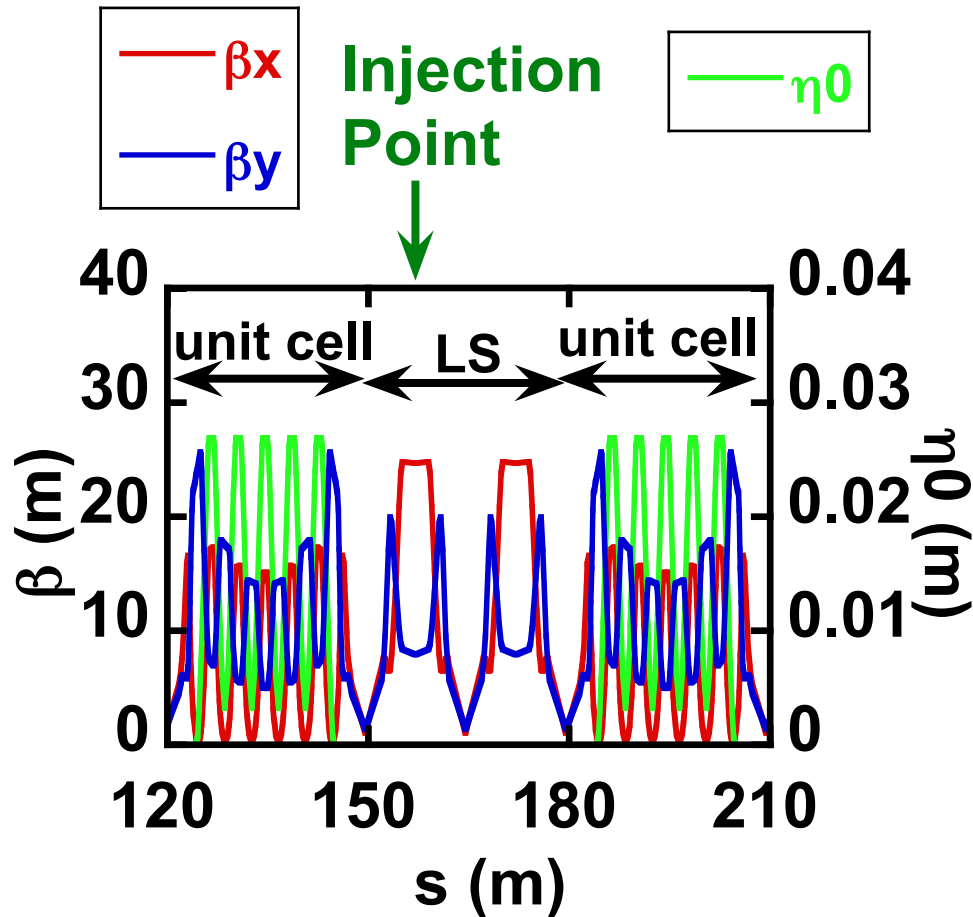


Courtesy of T. Tanaka

SPring-8 v.s. SPring-8 II

	SPring-8	SPring-8 II (Latest design)
Electron energy	8 GeV	6 GeV
Stored current	100 mA	300 mA
Lattice	Double Bend (2B)	6 Bend Achromat (6BA)
Natural emittance	3400 pm.rad	67.5 pm.rad (w/o D.W.) 10 ~ 20 pm.rad (w/ D.W.)
Tune (x, y)	(40.14, 18.35)	(141.865, 36.65)
Natural chrom.	(-88, -42)	(-475, -191)
Power loss	9 MeV (Bend) 2 MeV (ID)	4 MeV (Bend) 2 + 4 MeV (ID + D.W.)
Max. B	0.68 T	0.70 T
Max. Q: $B'L / B\rho$	0.40 m ⁻¹	1.65 m ⁻¹
Max. Sx: $B''L / B\rho$	6.44 m ⁻²	114 m ⁻²

Lattice Structure of SPring-8 II



6BA lattice function

“Ring” = 4 x {11 x “unit cell”
+ “Long Straight (LS)”}

High-beta ($\beta_x \sim 25$ m)
@ Injection Point

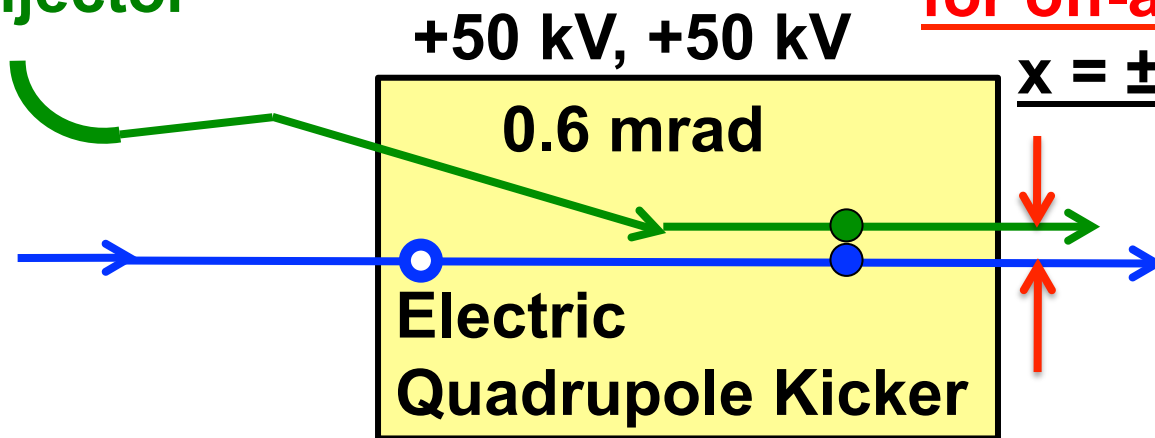
Low-beta ($\beta_x \sim \beta_y \sim 1$ m) @ ID

Injection Scheme of SPring-8 II

For stable user operation, off-axis injection is required not only for top-up operation, but also for nominal accumulation.

Injection Scheme:

Injector



Required dynamic aperture (DA) for off-axis injection:

$x = \pm 1$ mm @ Injection point

$$(\beta_x, \beta_y, \eta_0) \sim (25, 8, 0) \text{ (m)}$$
$$\alpha_x = \alpha_y = \eta'_0 = 0$$

Poster (TUPC095): Nakamura, “Bucket-by-bucket On/Off-axis Injection with Variable Field Fast Kicker”.

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- 2.1 Strategy for Lattice Design
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4. Summary

Our Strategy of Lattice Design

Design of Linear Optics

“as lower natural-chromaticity as S_x becomes lower”



Tune Selection

- 1 avoidance of strong resonances
- 2 *phase adjustment for (non-)interleaved sextupole*



Design of Nonlinear Optics

harmonic method *with (non-)interleaved S_x*
for correcting

- 1 nonlinear resonances independent on $\Delta p/p$,
- 2 nonlinear resonances by Q and S_x for off-momentum,
- 3 *higher order resonances for on-momentum.*

Iteration (tune survey, etc)



Design of Nonlinear Optics (What & How)

Isolated Resonance Hamiltonian

(Qx, Qy): Tune

What

How

Resonant potential induced by Sx without $\Delta p/p$

$$\langle H \rangle \propto \langle U(Q_x \sim \text{int.}) \rangle_{S_x} + \langle U(3Q_x \sim \text{int.}) \rangle_{S_x} + \langle U(Q_x \pm 2Q_y \sim \text{int.}) \rangle_{S_x}$$

Set to
~ 0

(Off-momentum) Resonant potential by Q

$$+ \frac{\Delta p}{p} \left\{ \langle U(2Q_x \sim \text{int.}) \rangle_Q + \langle U(2Q_y \sim \text{int.}) \rangle_Q \right\}$$

Cancel

(Off-momentum)

by Sx

$$+ \frac{\Delta p}{p} \left\{ \langle U(2Q_x \sim \text{int.}) \rangle_{S_x} + \langle U(2Q_y \sim \text{int.}) \rangle_{S_x} \right\}$$

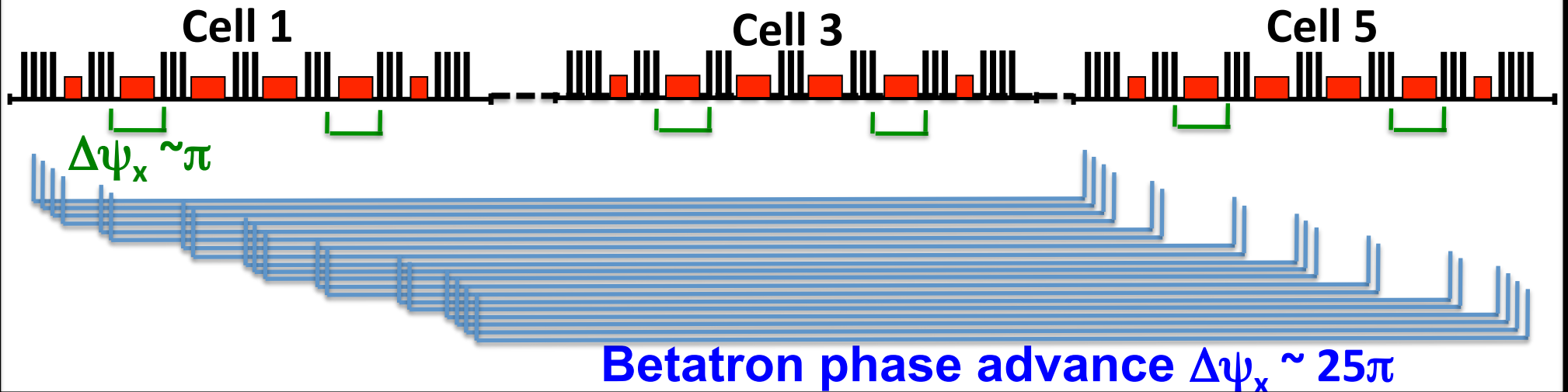
Suppress

+ “(on-momentum) Higher order resonant potentials by Sx”

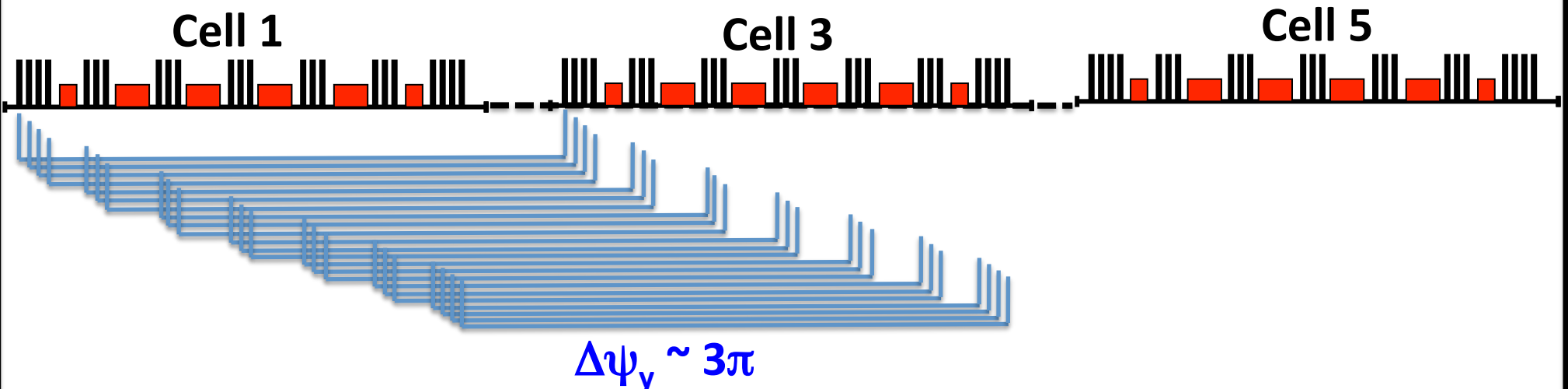
(Non-)interleaved Sextupole

- / transformation

Horizontal

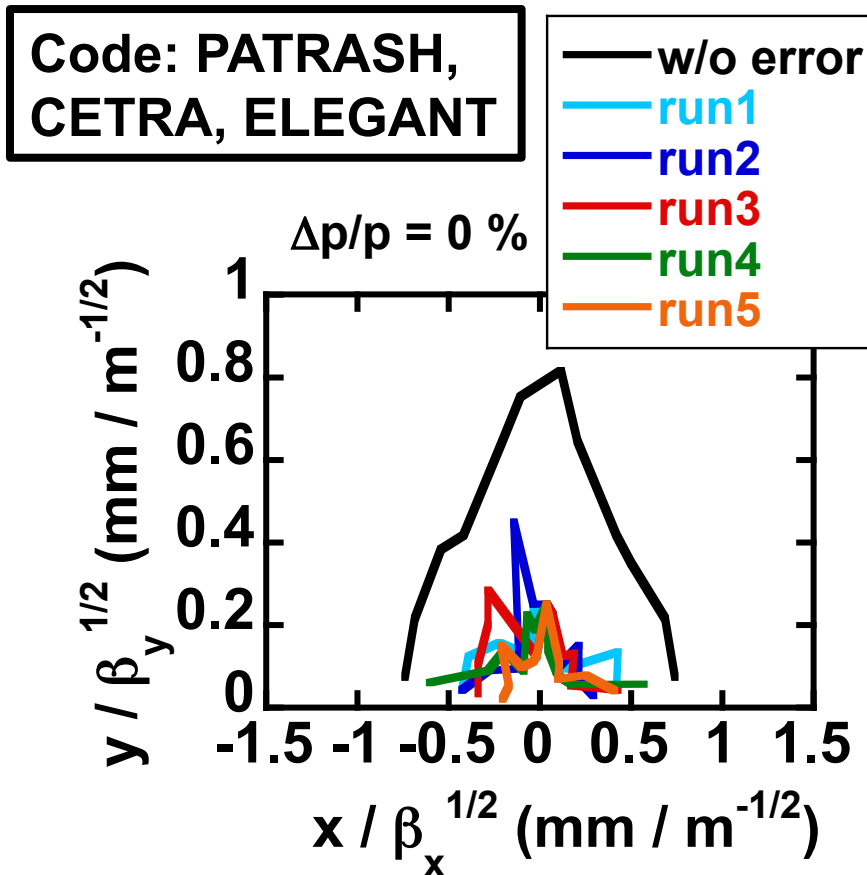


Vertical

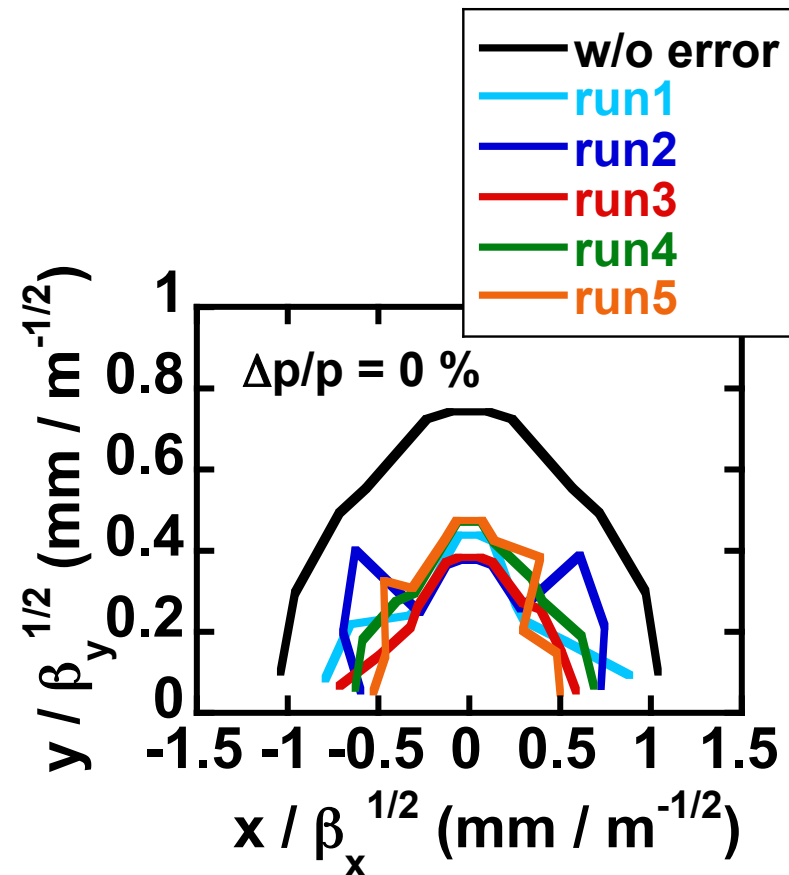


Example of DA Enlargement

Comparison DA between Conventional & Our design
w/ Sx-Align. Error (Gaussian, 2σ cut, $\sigma = 5\mu\text{m}$, no correction)



(Conventional) Dynamic aperture.
Nat.Chrom.: (-595, -193)
Max. Sx: 136 m^{-2}



(Our design) Dynamic aperture
Nat.Chrom.: (-475, -191)
Max. Sx: 114 m^{-2}

Agenda

1. Introduction of SPring-8 II

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- 2.1 Example of Dynamic Aperture Shrinking
- 2.2 Strategy for Lattice Design
- 2.3 Example of Dynamic Aperture Enlargement

3. Latest Results of Lattice Design

- 3.1 Dynamic Aperture and Momentum Aperture
without / with Sx-Alignment Error

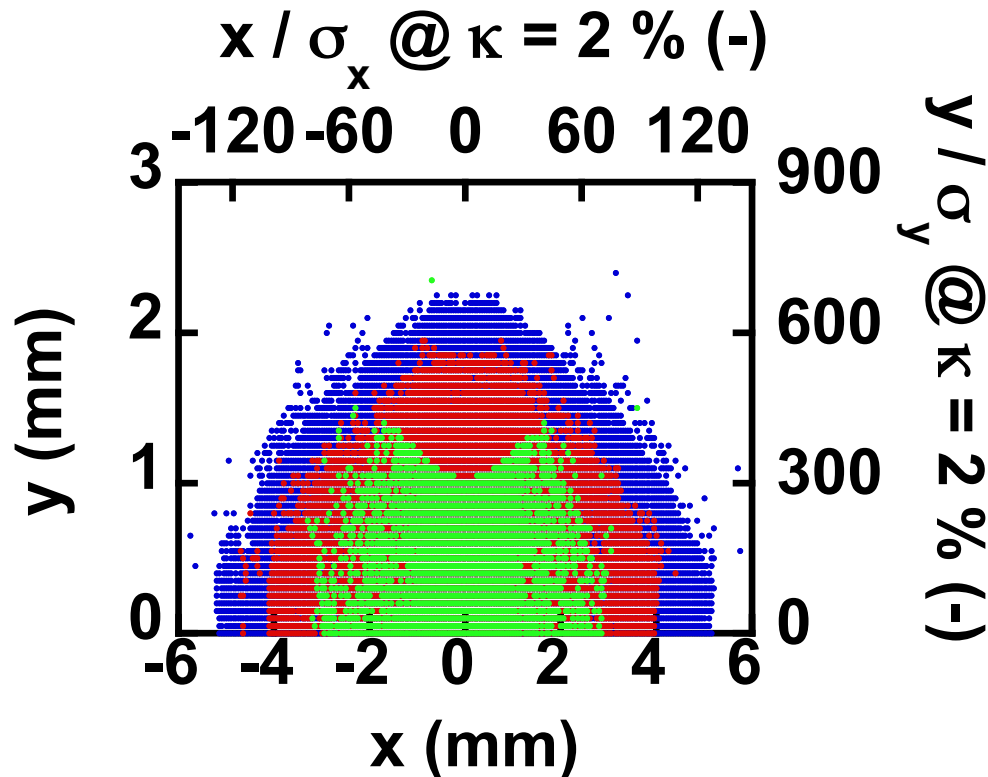
4. Summary

Dynamic Aperture

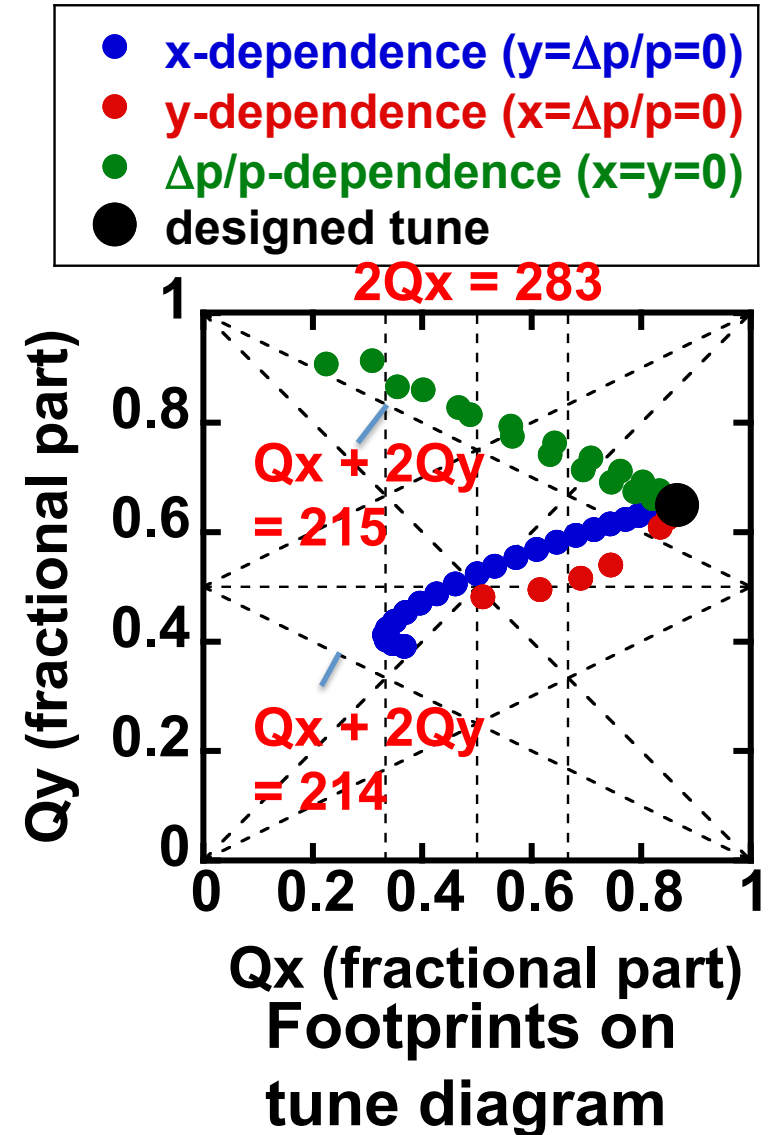
Without error in lattice

RF 4.5 MV

- $\Delta p/p_0 = 0\%$
- $\Delta p/p_0 = -1\%$
- $\Delta p/p_0 = -2\%$

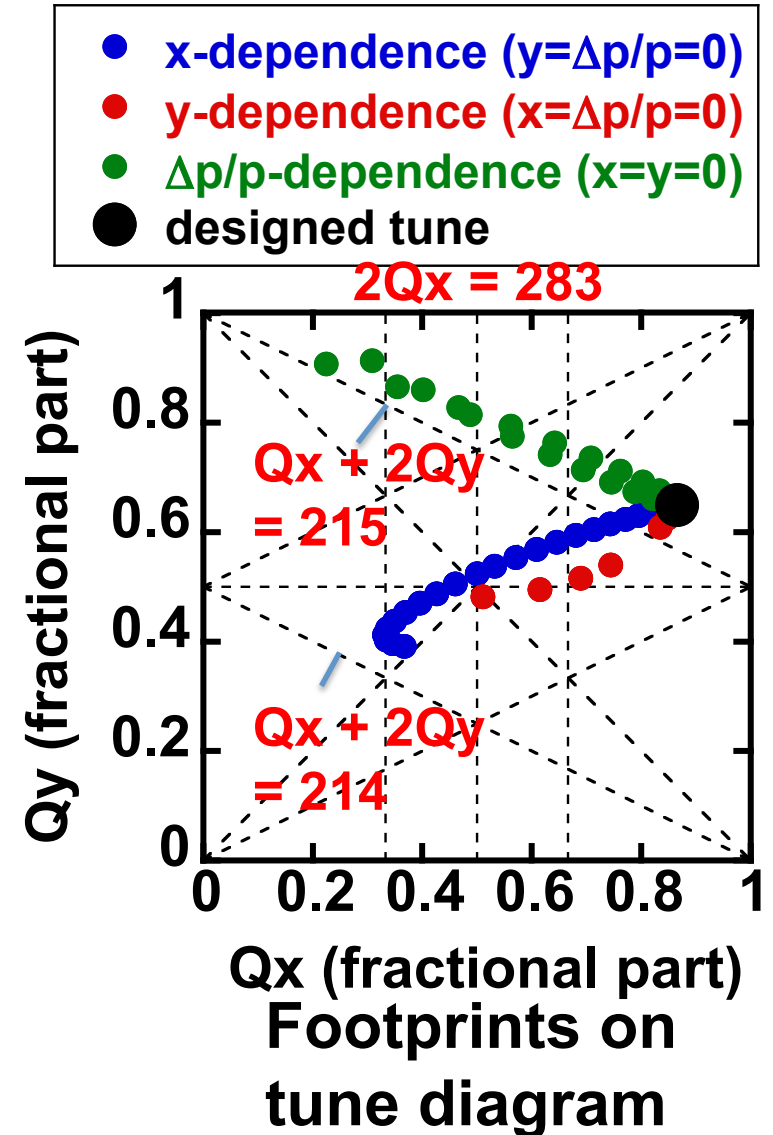
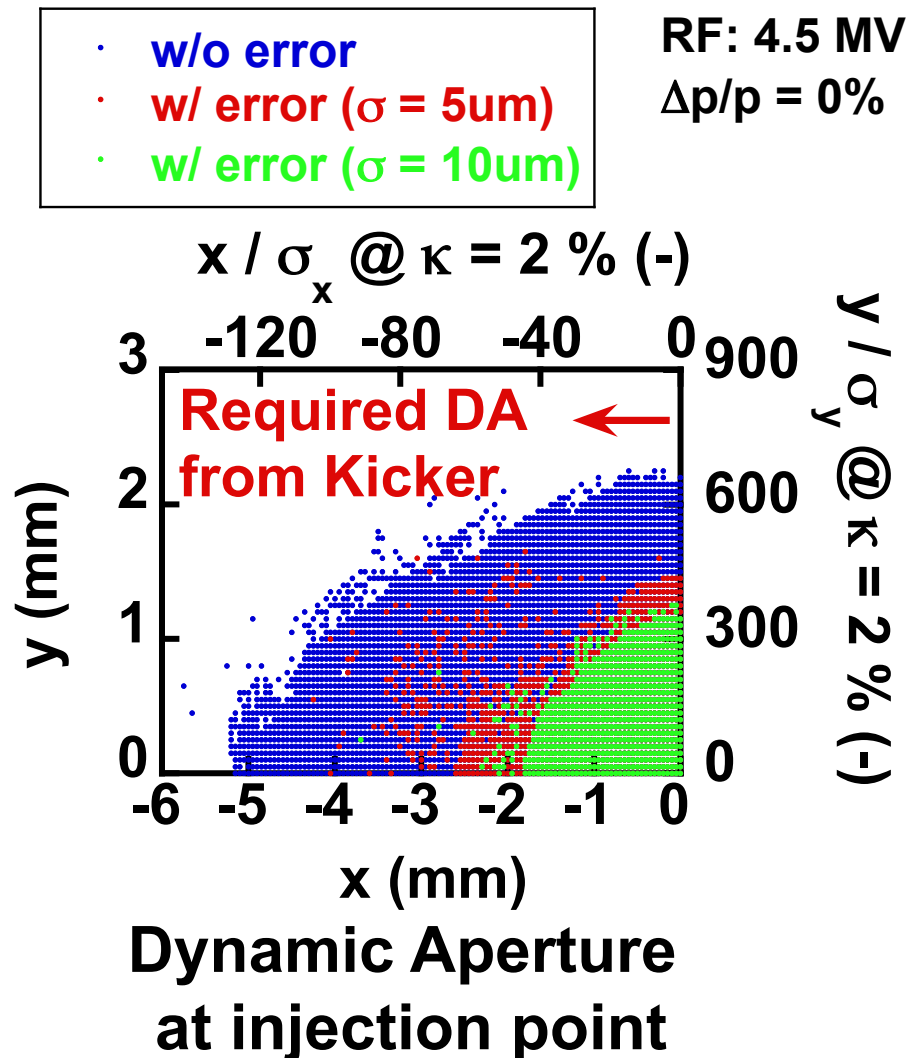


Dynamic Aperture
at injection point



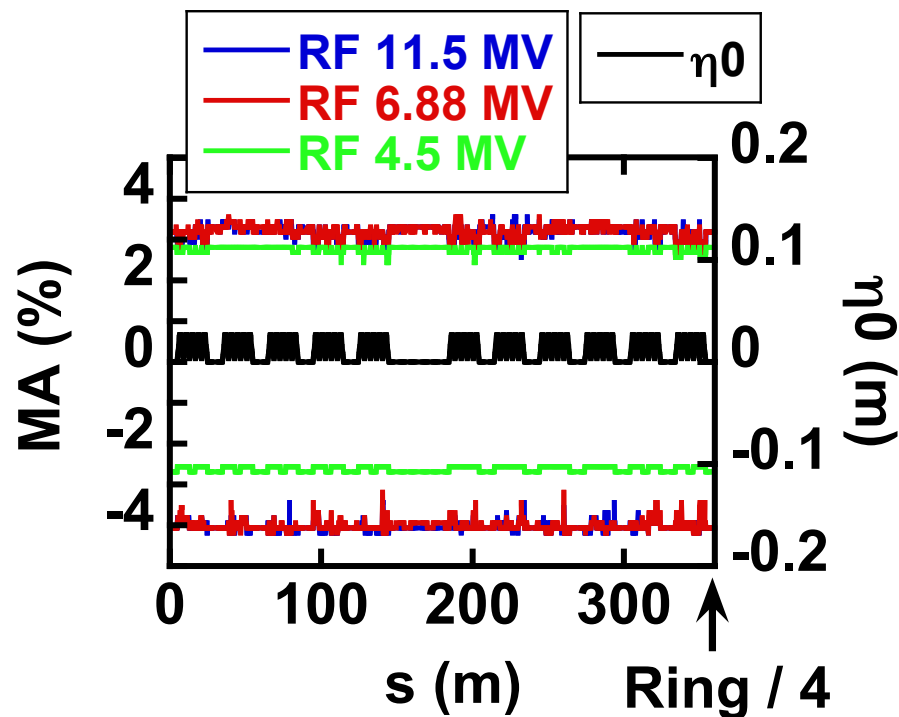
Dynamic Aperture

w/ Sx-Align. Error (Gaussian, 2σ cut, no correction)

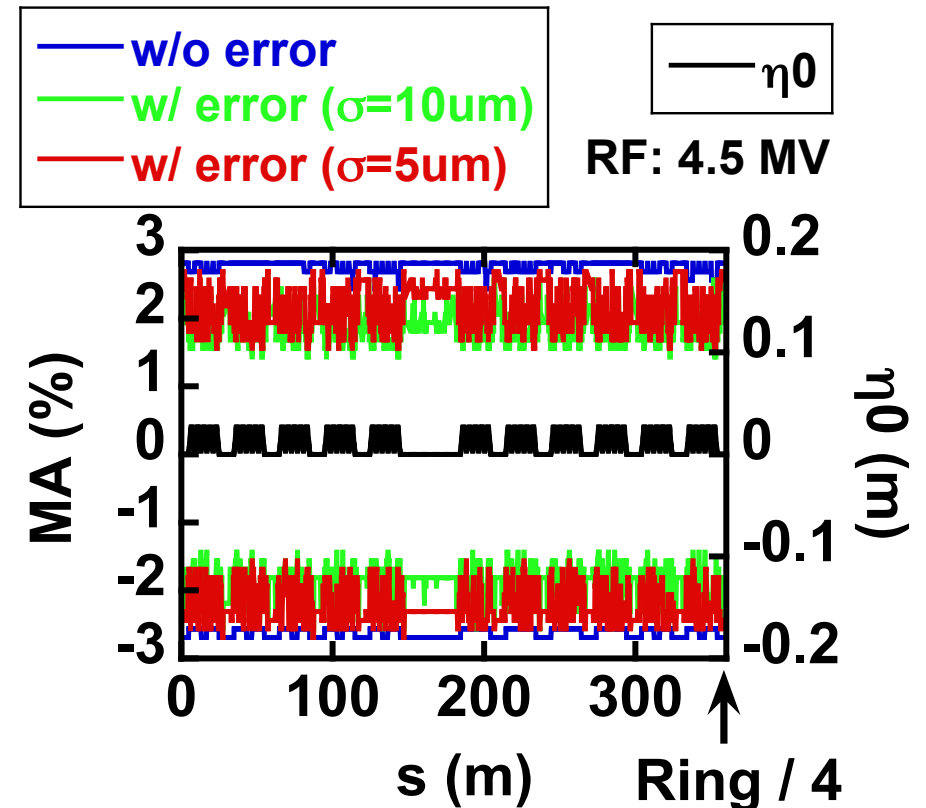


Momentum Aperture

w/o & w/ Sx-Align. Error (Gaussian, 2σ cut, no correction)



Momentum Aperture
dependent on RF voltage



Momentum Aperture
dependent on error

Summary

DA: Dynamic Aperture
MA: Momentum Aperture

1. Design study of SPring-8 II is in progress.
2. Following strategy is adopted for DA correction:
 - Linear optics as low natural chromaticity.
 - Harmonic method with (non-)interleaved Sx for correcting nonlinear resonances without $\Delta p/p$, nonlinear resonances for off-momentum, and higher order resonances for on-momentum.
3. Large DA and MA for very-low ϵ ring (67.5 pm.rad @ 6GeV):
 - $x \sim \pm 5 \text{ mm}$ ($\sim 120 \sigma_x$) and MA $\sim \pm 2.7 \%$ for ideal ring,
 $\sim \pm 2.5 \text{ mm}$ ($\sim 60 \sigma_x$) $\sim \pm 2.1 \%$ with alignment error.
($\sigma = 5 \mu\text{m}$ for Sx)
 - $\sim \pm 1.8 \text{ mm}$ ($\sim 48 \sigma_x$) $\sim \pm 1.8 \%$ with $\sigma = 10 \mu\text{m}$ (Sx)
4. We will study additional aperture enlargement, ID' s effects, correction scheme against errors, etc, in detail.

Feasibility Study of SPring-8 II

Lattice (TUOAB01) : *My Talk.*

Overview of project (THPC031) : Watanabe et al., “Current Status of SPring-8 Upgrade Plan”.

Injection (TUPC095) : Nakamura, “Bucket-by-bucket On/Off-axis Injection with Variable Field Fast Kicker”.

Short bunch (THPC028) : Masaki et al., “A Proposal of Short X-ray Pulse Generation from Compressed Bunches by mm-wave iFEL in the SPring-8 Upgrade Plan”.

(c.f.)

Magnet / Vacuum (THPC143) : Fukami et al., “Beam-based Alignment for Injection Bump Magnets of the Storage Ring using Remote Tilt-control System”.

For Question

Damping Wiggler

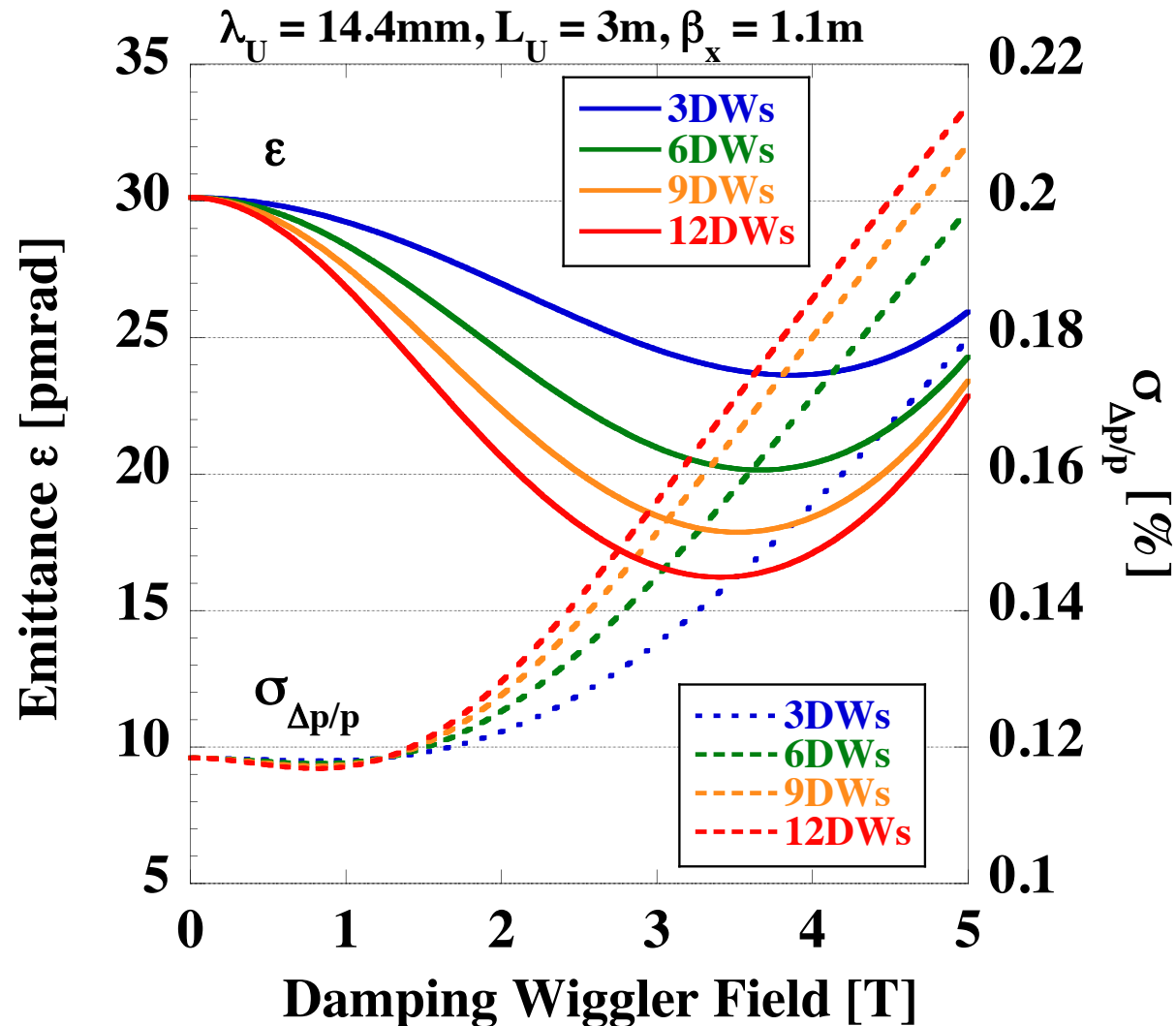
Damping Wigglers at Long Straights

$$\lambda_{\text{DW}} = 50\text{mm}, L_{\text{DW}} = 4\text{m}, \beta_x = 1.1\text{m}$$

28 Undulators with $B_U = 1.6\text{T}$ at Normal Straights

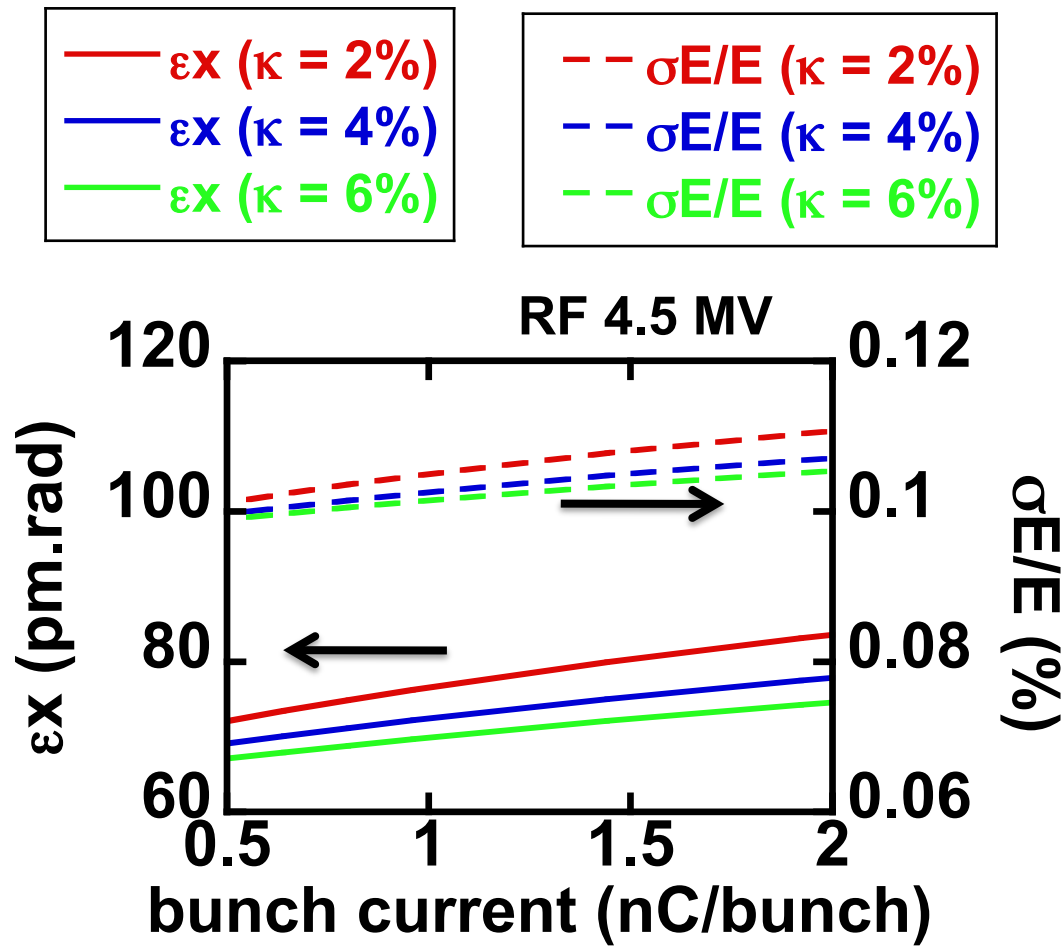
$$\lambda_U = 14.4\text{mm}, L_U = 3\text{m}, \beta_x = 1.1\text{m}$$

K. Soutome

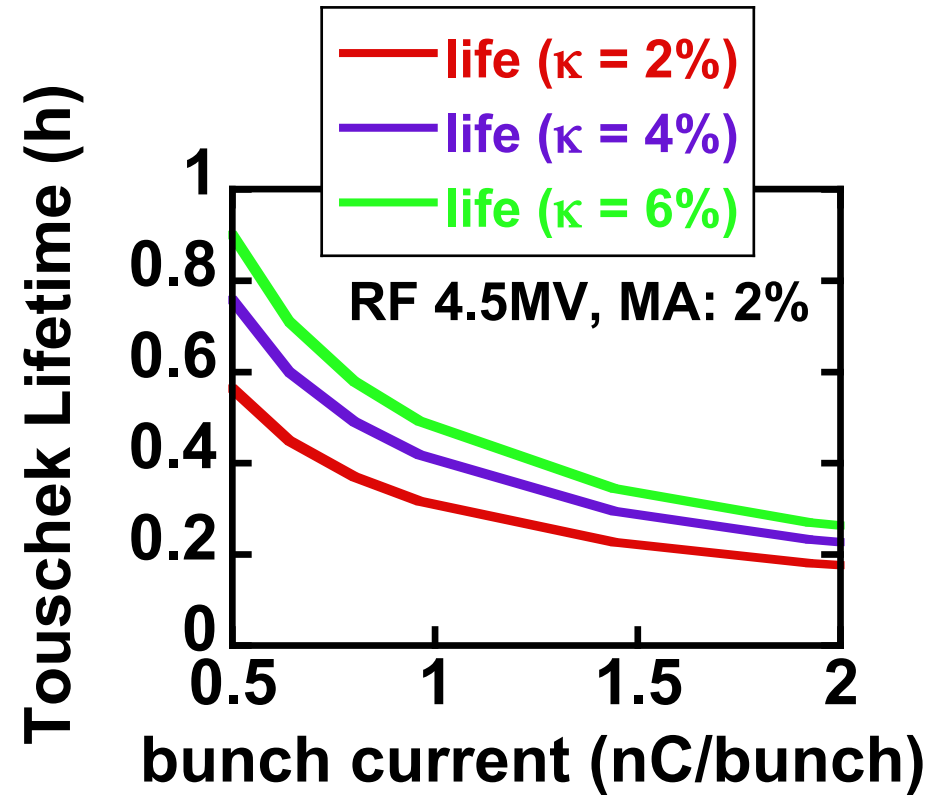


IBS and Lifetime

Bunch lengthening
by Harmonic Cavity is planed



Effects of Intra-Beam
Scattering (IBS)



Touschek Lifetime
(Requirement from
injection: 0.5 h)

Tolerance from DA (when no correction)

	Tolerance from DA
Q field error	10^{-4}
Sx field error	10^{-4}
Q alignment error (σ)*	1 μm (?)
Sx alignment error (σ)	10 μm

*** Q-align.-error-induced-COD is not acceptable for Sx.**



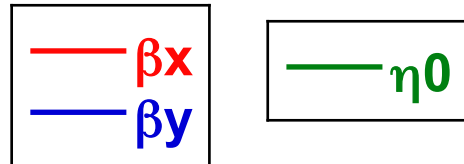
COD correction within tolerance of Sx alignment error ($\sigma = 10 \mu\text{m}$) has been studied with

- Remote controlled x-y stage for magnets,**
- COD correction by beam-based-alignment,**
- Automatic COD correction, etc.**

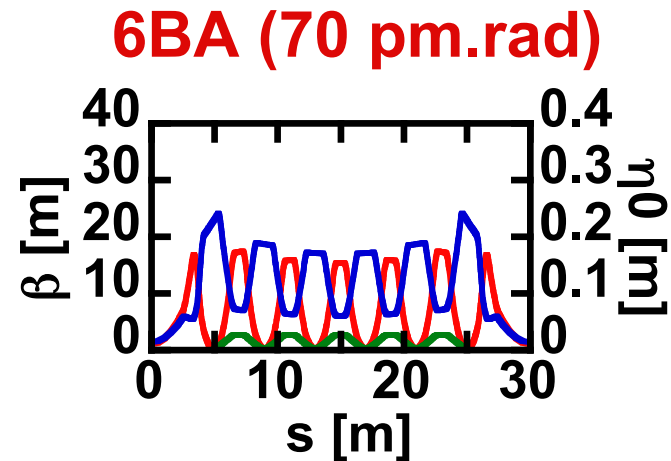
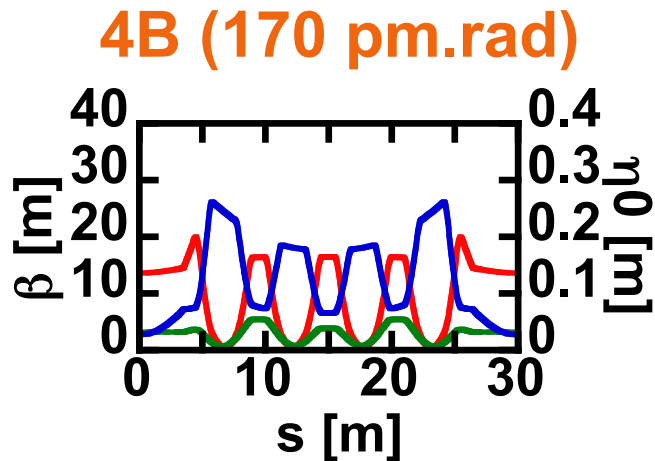
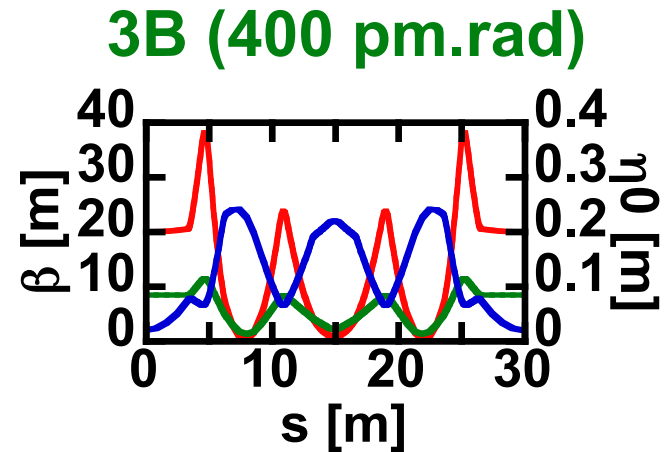
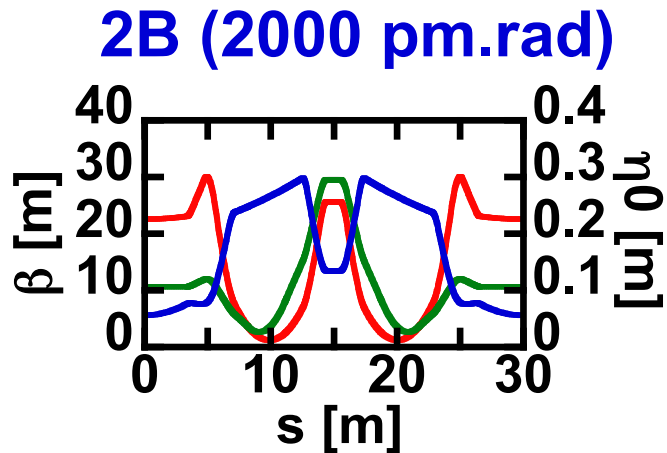
Number of Magnet family

	SPring-8	SPring8 II
B	1	2
Q	14	13
Sx	9	12

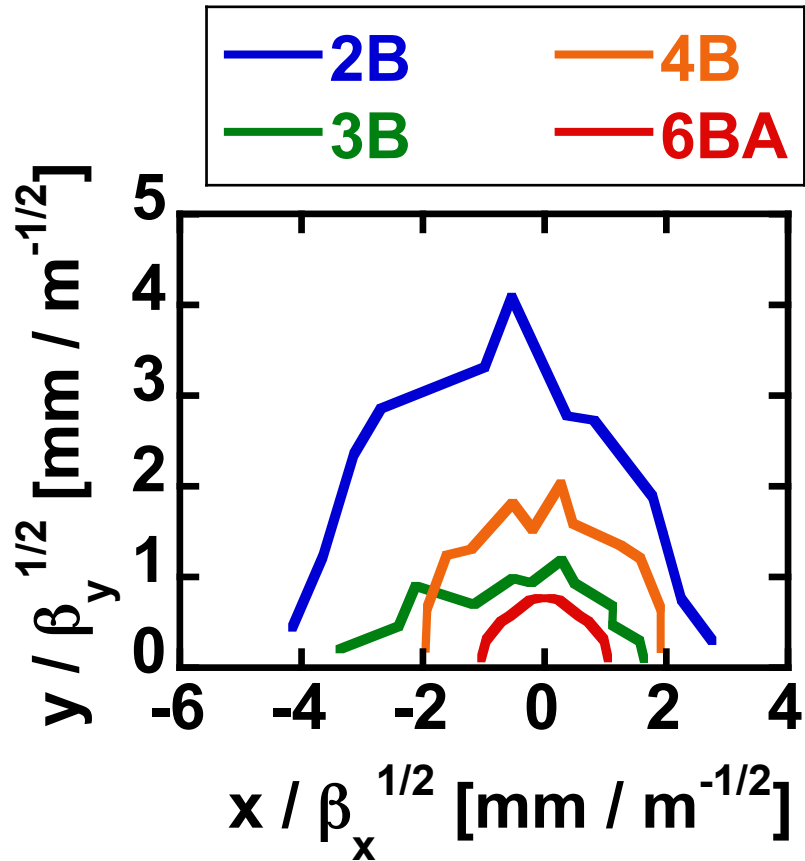
Examination of Multi-bend Lattice for SPring-8 II



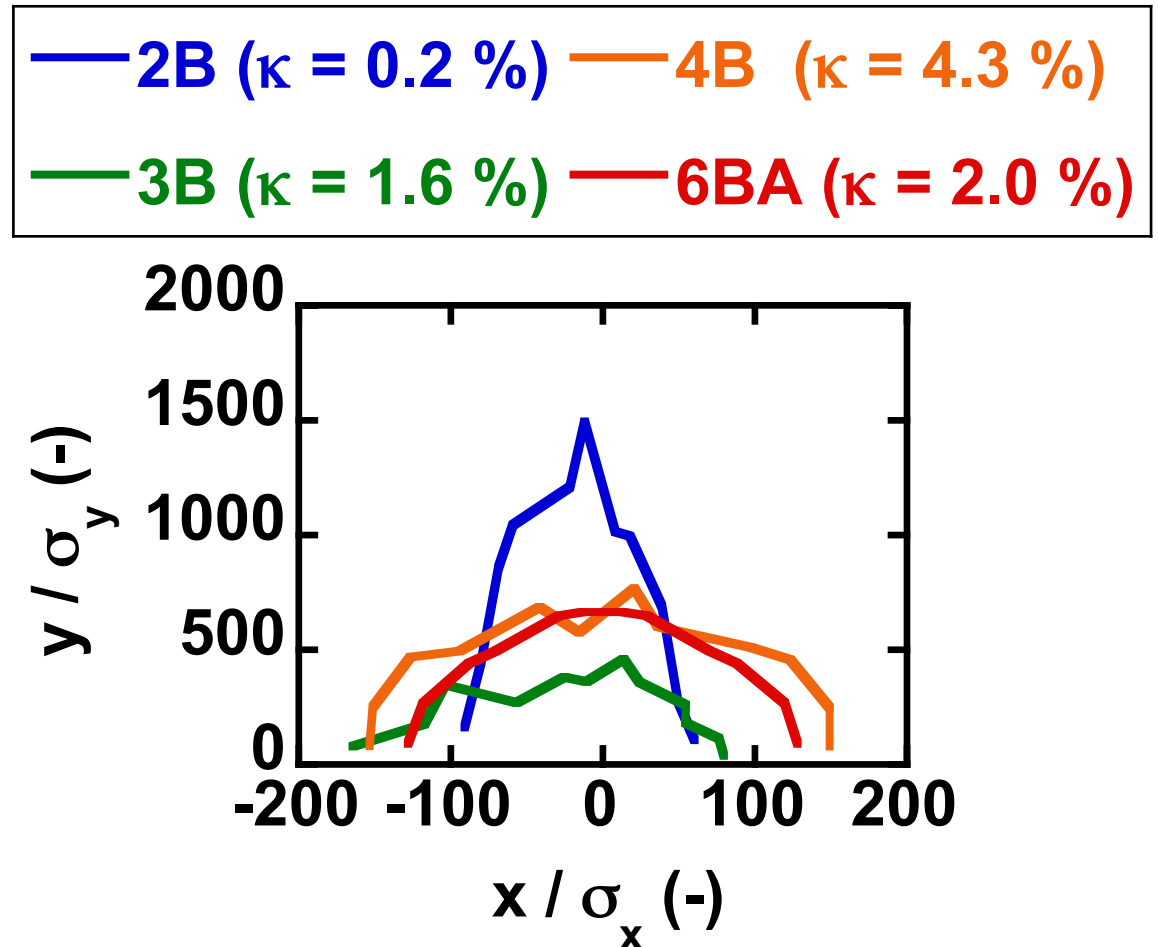
(Natural emittance on 6 GeV)



Examination of Multi-bend Lattice for SPring-8 II



DA normalized by root-beta
($\Delta p / p = 0\%$, no error)



DA normalized by beam size
($\Delta p / p = 0\%$, no error)

Design of Low Natural-Chromaticity Lattice

“Unit cell of 6BA” = 4 x “Minimum Emittance (ME) part”
+ 2 x “Matching part (achromat, β)”

D.Einfeld and M.Plesko, NIMA 335, 402(1993).

Position and strength of B and Q are numerically determined as low natural-chromaticity at each part.

